

# IM1 – 5.3 (P – eV2) Creating Exponential Functions (Given Scenarios)

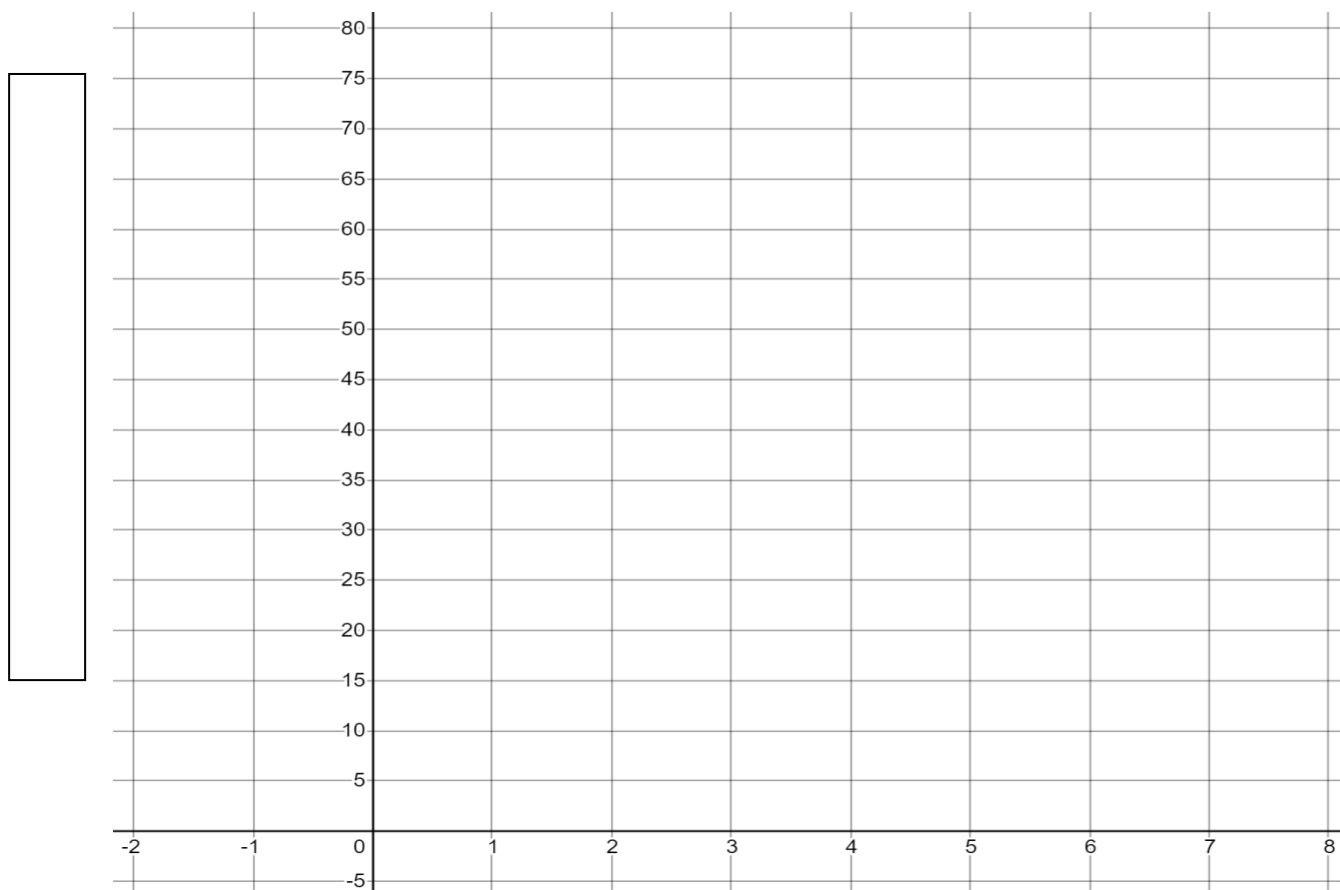


Name: \_\_\_\_\_ Per: \_\_\_\_\_ Date: \_\_\_\_\_

**Directions** – For the scenario written below, create a table, graph (F.IF.7e), and equation (A.CED.1) to model it. Label the independent & dependent quantities and their units of measure. Label the y-intercept and draw the horizontal asymptote (F.IF.4). Then, answer the questions in the box below. Round your answers to the nearest 100<sup>th</sup>. Note: For these scenarios, let time be its own representation based on the problem, and not calculated based on a year. Here is a calculator you can use: <https://www.desmos.com/scientific>.

1. A single bacteria can multiply at an alarming rate when each bacteria splits into two new cells, thus doubling every hour. Write an exponential function to model this over time.

x					
f(x)					

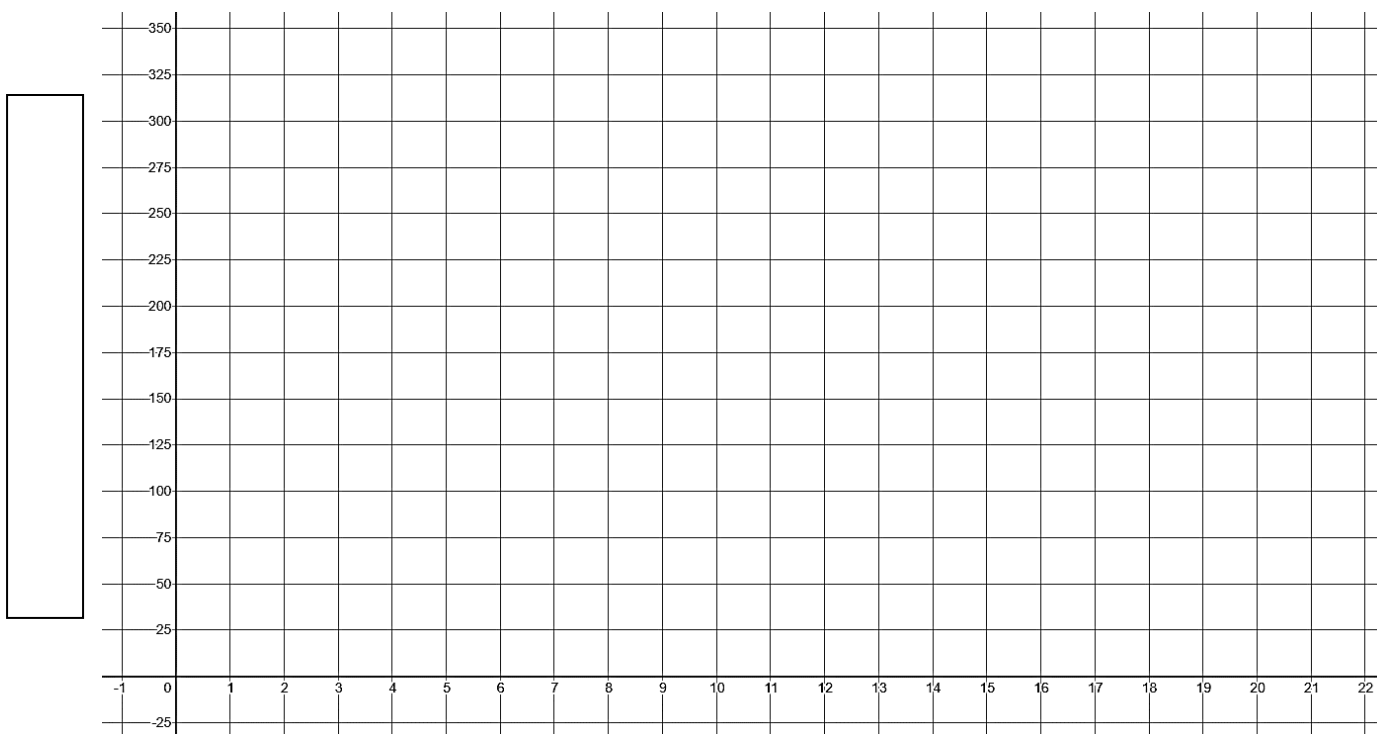


Equation:

- 
- Evaluate  $f(0)$ : \_\_\_\_\_
  - Interpret  $f(0)$ : \_\_\_\_\_  
\_\_\_\_\_
  - Explain what is meant by  $f(10)$  \_\_\_\_\_  
\_\_\_\_\_
  - Explain what is meant by  $f(-10)$  \_\_\_\_\_  
\_\_\_\_\_
  - How would you go about finding  $f(10)$  or  $f(-10)$  ? \_\_\_\_\_  
\_\_\_\_\_  
\_\_\_\_\_
  - How can you go about predicting an outcome given the input quantity? \_\_\_\_\_  
\_\_\_\_\_  
\_\_\_\_\_
  - Using your model to justify your response, explain what the horizontal asymptote means for this scenario.  
\_\_\_\_\_  
\_\_\_\_\_

2. The number of flowering plants in a local garden is decreasing at a rate of about 19% every year due to a toxic mold spreading throughout the garden. In 2016, there were approximately 267 flowers. Write an exponential function to model this scenario if this trend continues over time.

x					
f(x)					



Equation:

- Evaluate  $f(0)$ : \_\_\_\_\_
- Interpret  $f(0)$ : \_\_\_\_\_  
\_\_\_\_\_
- Using your model to justify your response, explain what the horizontal asymptote means for this scenario.  
\_\_\_\_\_  
\_\_\_\_\_