Topic: IM2 – 2.1 (N – 1)) Parts of a Polynomial	Standard(s): A.SSE.1a	Notes		
Essential Question: W	nat are the parts of polynomials, and how are	they related?	DISHS		
Questions / Big Ideas	Key Terms	I			
	<u>Descending Order</u> \equiv Counting down from the largest number.				
	• Written from left to right (L \rightarrow R).				
	• Ex. 5, 4, 3, 2, 1, 0				
	<u>$Polynomial \equiv A$</u> mathematical expression involving the sum (addition) of powers (base with an exponent) in one or more variables multiplied by coefficients.				
	 Form: a_nx^k <u>a</u> is any real number (coefficient of each term) <u>k</u> is a non-negative integer (exponent of each term: descending, L → R) 				
	• Standard Form of a Polynomial: $a_1x^k + a_2x^{k-1} + \ldots + a_nx^0$				
	 Powers are written in descending ord order. 	ler with variables	in alphabetical		
	• Examples: $\circ -19x^7 + 4x^3 - 2x^2 + 13x + $ $\circ 5p^7 + p^2 + 10q - 40$		+2y-7 Variable		
	Leading Coefficient $2x^3 - 5x^2 - 2x + 5$ Cubic Term Quadratic Term	Constant			
	$\underline{Term} \equiv Each product in a polynomial expression.$				
	 Includes: sign (positive or negative), coefficient, variable, and exponent 				
	• Example: $-19x^7 + 4x^3 - 2x^2 + 13x^{1^{st}}$ term: $-19x^7$, 2^{nd} Term: $+4x^3$		с.		

Questions / Big Ideas	$\underline{Degree} \equiv \text{The exponent of a term.}$					
	• The greatest exponent determines the degree of the polynomial work one variable. If the polynomial has multiple variables, the greates degree is the sum of the variable exponents.					
	• Examples $ \circ -5x^{6} + 4x^{4} - x^{3} + 3x + 9 \rightarrow 6^{\text{th}} \text{ degree polynomial} $ $ \circ 7x^{3} + 10x^{2} - 15x + 1 \rightarrow 3^{\text{rd}} \text{ degree polynomial} $ $ \circ 3x^{3}y^{4} + 9y^{5} - 8x + 1 \rightarrow 7^{\text{th}} \text{ degree polynomial} $					
	<u><i>Coefficient</i></u> \equiv The number being multiplied by a power. Its sign may be positive or negative.					
	 Note: when a variable has a degree of zero, the coefficient is called a "constant." 					
	<u>Leading Coefficient</u> \equiv The number being multiplied by the power with the highest degree.					
	• In standard form, it is the 1 st term's number.					
	 The sign can be positive or negative. 					
	 Constant - A number without a variable (or a zero-degree variable). x⁰ = 1 (zero-degree variables equal 1) Ex. ½, -42, 9, 2.4, 3x⁰ 					
	<u>Constant</u> \equiv A real number in the form $a_n x^0$. The variable has a degree of zero. A constant is written without a variable.					
	 Form: a_nx⁰ (since x⁰ equals 1, a constant does not vary). Examples: ½, -42, 9, 2.4, 3x⁰ 					
	Guided Practice					
	$-7x^{10} + 3.5x^8 + x^5 - \frac{2}{3}x^4 - x^2 + 6$					
	1. Leading Coefficient:					
	2. Degree of Polynomial:					
	3. Constant:					
	4. Number of terms in the polynomial:					
	5. List all coefficients (L \rightarrow R):					

Questions / Big Ideas	Naming Polynomials					
	1. Monomials: only ONE term					
	2. Binomials: exactly TWO terms					
	3. Trinomials: exactly THREE terms					
	4. Polynomials: any number of terms (1 through ∞)					
	 Monomials are one-term polynomials. All Polynomials are made up of monomial terms. 					
	• Monomials are the product of positive integer powers of variables. Ex: $x^4 \cdot x^2 = x^6 \leftarrow x^6$ is the monomial.					
	 Monomials can be fractions, but can NOT have a variable in the denominator. 					
	 The exponents of monomials can NOT have fractional or negative exponents. 					
	 Remember: SOME radicals can be rewritten as fractional (rational) exponents. 					
	• Examples of Monomials: • $14x^2y$, $-520x^8$, $-2cd$, x , 12 , $\frac{1}{9}$, $9.2b$, 0					
	 Counterexamples of Monomials (NOT Monomials): 					
	• $3x^{-2}y$, $-20x^{\frac{1}{8}}$, $\sqrt{6}$, $\frac{5}{y}$, $\sqrt[4]{\frac{18}{2}}$					
	Guided Practice - Rearrange the polynomial into standard form, then breakdown each term into its parts. 1. Given Form: $-5p^4-10p^3+6p^2-p+7$					
	Standard Form:					
	1 st Term 2 nd Term 3 rd Term 4 th Term 5 th Term					
	Term					
	Coefficient					
	Degree of Term					

Given Form: $\frac{8}{3}x^2 - 3y^3$ Standard Form:	+ 1 + 2.6x ⁵ -	у			
Standard Form:					
	1 st Term	2 nd Term	3 rd Term	4 th Term	5 th Term
Term					
Coefficient					
Degree of Term					
3.					
Given Form: $-2.1a^7 - 2$	$2.0b^{10} + 2.6a^5b$	$b^3 - 1.9a^6 - $	- 2.5 <i>b</i>		
Standard Form:					
	1 st Term	2 nd Term	3 rd Term	4 th Term	5 th Term
Term					
Coefficient					
Degree of Term					
4.		2 =			
Given Form: $14x^2 - 2x^2$	$+ 6x^3y^2 + 10x$	$z^{2}y - 5y$			
Standard Form:					
	1 st Term	2 nd Term	3 rd Term	4 th Term	5 th Term
Term					
Coefficient					
Degree of Term					
	Degree of Term 3. Given Form: -2.1a ⁷ -2 Standard Form: Term Coefficient Degree of Term 4. Given Form: 14x ² - 2 Standard Form: Term Coefficient Degree of Term 4. Given Form: 14x ² - 2 Standard Form: Term Coefficient	Degree of Term3.Given Form: $-2.1a^7 - 2.0b^{10} + 2.6a^5b$ Standard Form:1st TermTermCoefficientDegree of Term4.Given Form: $14x^2 - 2 + 6x^3y^2 + 10x$ Standard Form:1st TermTermCoefficient04.Given Form: $14x^2 - 2 + 6x^3y^2 + 10x$ Standard Form:1st TermTermCoefficient01st TermCoefficient	Degree of Term3.Given Form: $-2.1a^7 - 2.0b^{10} + 2.6a^5b^3 - 1.9a^6 - 100000000000000000000000000000000000$	Degree of Term Image: standard standa	Degree of Term Image: standard standa